



KING EDWARD VI
HANDSWORTH GRAMMAR
SCHOOL FOR BOYS



KING EDWARD VI
ACADEMY TRUST
BIRMINGHAM

Year 7

2023 Mathematics 2024

Unit 4 Booklet

HGS Maths



Tasks



Dr Frost Course



Name: _____

Class: _____

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1 Rounding

1.1 Midpoint of Two Numbers

Worked Example

Find the midpoint of -5 and 6

Your Turn

Find the midpoint of -6 and 5

1.2 Rounding to the Nearest Multiple

Worked Example

Round 63 to the nearest:

- a) 10
- b) 2
- c) 3

Your Turn

Round 65 to the nearest:

- a) 10
- b) 2
- c) 3

1.3 Rounding to Decimal Places

Worked Example

Round 8.7337 to:

- a) 1 decimal place
- b) 2 decimal places
- c) 3 decimal places

Your Turn

Round 8.3773 to:

- a) 1 decimal place
- b) 2 decimal places
- c) 3 decimal places

Worked Example

Round 0.0337 to:

- a) 1 decimal place
- b) 2 decimal places
- c) 3 decimal places

Your Turn

Round 0.0377 to:

- a) 1 decimal place
- b) 2 decimal places
- c) 3 decimal places

Worked Example

Round 8.7997 to:

- a) 1 decimal place
- b) 2 decimal places
- c) 3 decimal places

Your Turn

Round 7.8998 to:

- a) 1 decimal place
- b) 2 decimal places
- c) 3 decimal places

1.4 Rounding to Significant Figures

Worked Example

Circle the 2nd significant figure:

7 8 0 0

7 0 0 8

7 . 0 0 8

0 . 0 0 7 8

0 . 7 0 0 8

Your Turn

Circle the 2nd significant figure:

1) 4 5 6

2) 4 0 6

3) 4 0 0

4) 4 0 0 0

5) 4 5 0 0

6) 4 5 0 6

7) 4 5 . 0 6

8) 4 . 5 0 6

9) 0 . 4 5 0 6

10) 0 . 0 4 5 0 6

11) 0 . 0 0 4 5 0 6

12) 0 . 0 0 4 0 0 6

13) 3 . 0 0 4 0 0 6

14) 0 . 3 0 4 0 0 6

Worked Example

1) 8 Number of significant figures =

2) 0.8 Number of significant figures =

3) 800 Number of significant figures =

4) 0.800 Number of significant figures =

5) 0.008 Number of significant figures =

Your Turn

- | | |
|--------------|---------------------------------|
| 1) 456 | Number of significant figures = |
| 2) 450 | Number of significant figures = |
| 3) 406 | Number of significant figures = |
| 4) 400 | Number of significant figures = |
| 5) 40 | Number of significant figures = |
| 6) 4 | Number of significant figures = |
| 7) 0.4 | Number of significant figures = |
| 8) 0.40 | Number of significant figures = |
| 9) 0.04 | Number of significant figures = |
| 10) 0.004 | Number of significant figures = |
| 11) 0.00456 | Number of significant figures = |
| 12) 0.456 | Number of significant figures = |
| 13) 0.406 | Number of significant figures = |
| 14) 0.450 | Number of significant figures = |
| 15) 0.4500 | Number of significant figures = |
| 16) 0.45006 | Number of significant figures = |
| 17) 0.450067 | Number of significant figures = |
| 18) 450067 | Number of significant figures = |
| 19) 45067 | Number of significant figures = |
| 20) 4506.7 | Number of significant figures = |
| 21) 450.67 | Number of significant figures = |
| 22) 45.067 | Number of significant figures = |
| 23) 45.0067 | Number of significant figures = |
| 24) 4.50067 | Number of significant figures = |
| 25) 4.00067 | Number of significant figures = |
| 26) 0.00067 | Number of significant figures = |
| 27) 0.0067 | Number of significant figures = |
| 28) 6.0007 | Number of significant figures = |
| 29) 0.6007 | Number of significant figures = |
| 30) 0.0607 | Number of significant figures = |

Worked Example

Round 271828 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Your Turn

Round 738906 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Worked Example

Round 2.71828 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Your Turn

Round 7.38906 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Worked Example

Round 0.00271828 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Your Turn

Round 0.00738906 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Worked Example

Round 0.00279999 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

Your Turn

Round 0.00739999 to:

- a) 1 significant figure
- b) 2 significant figures
- c) 3 significant figures

2 Metric Units

Conversions

Unit of measurement	Useful conversions	Examples - what would usually be measured in these units?
<i>Distance</i>		
Millimetres (mm)		
Centimetres (cm)		
Metres (m)		
Kilometres (km)		
<i>Weight</i>		
Grams (g)		
Kilograms (kg)		
Tonnes (T)		
<i>Capacity</i>		
Millilitres (ml)		
Litres (l)		

2.1 Metric Units of Length

The commonly used metric units of length include:

- kilometre (km)
- metre (m)
- centimetre (cm)
- millimetre (mm)

Worked Example

Convert 3.54 kilometres into:

- a) metres
- b) centimetres
- c) millimetres

Your Turn

Convert 5.3 kilometres into:

- a) metres
- b) centimetres
- c) millimetres

Worked Example

Convert 3.54 metres into:

- a) kilometres
- b) centimetres
- c) millimetres

Your Turn

Convert 5.3 metres into:

- a) kilometres
- b) centimetres
- c) millimetres

Worked Example

Convert 3.54 centimetres into:

- a) kilometres
- b) metres
- c) millimetres

Your Turn

Convert 5.3 centimetres into:

- a) kilometres
- b) metres
- c) millimetres

Worked Example

Convert 3.54 millimetres into:

- a) kilometres
- b) metres
- c) centimetres

Your Turn

Convert 5.3 millimetres into:

- a) kilometres
- b) metres
- c) centimetres

2.2 Metric Units of Mass

The commonly used metric units of mass include:

- tonne (T)
- kilogram (kg)
- gram (g)

Worked Example

Convert 3.54 tonnes into:

- a) kilograms
- b) grams

Your Turn

Convert 5.3 tonnes into:

- a) kilograms
- b) grams

Worked Example

Convert 3.54 kilograms into:
a) grams
b) tonnes

Your Turn

Convert 5.3 kilograms into:
a) grams
b) tonnes

Worked Example

Convert 3.54 grams into:
a) kilograms
b) tonnes

Your Turn

Convert 5.3 grams into:
a) kilograms
b) tonnes

2.3 Metric Units of Capacity

The commonly used metric units of capacity include:

- litre (l)
- centilitre (cl)
- millilitre (ml)

Worked Example

Convert 3.54 litres into:

- a) millilitres
- b) centilitres

Your Turn

Convert 5.3 litres into:

- a) millilitres
- b) centilitres

Worked Example

Convert 3.54 millilitres into:

- a) litres
- b) centilitres

Your Turn

Convert 5.3 millilitres into:

- a) litres
- b) centilitres

Worked Example

Convert 3.54 centilitres into:

- a) millilitres
- b) litres

Your Turn

Convert 5.3 centilitres into:

- a) millilitres
- b) litres

2.4 Metric Units of Time

The commonly used metric units of time include:

- second (s)
- minute (min)
- hour (hr)

Worked Example

- a) Sam play cards for 7 hours and 42 minutes. Write this duration in minutes.
- b) Luke play cards for 521 minutes Write this duration in hours and minutes.

Your Turn

- a) Lacey play cards for 8 hours and 37 minutes. Write this duration in minutes.
- b) Ellie play cards for 414 minutes. Write this duration in hours and minutes.

Worked Example

- a) Lorrie eats for 12 minutes and 19 seconds. Write this duration in seconds.
- b) Lily eats for 504 seconds. Write this duration in seconds.

Your Turn

- a) Latika eats for 6 minutes and 28 seconds. Write this duration in seconds.
- b) Mike eats for 374 seconds.. Write this duration in seconds.

Worked Example

- a) Simon leaves home at 3 59 pm. Simon arrives at 5 13 pm. How long was the journey?
- b) James leaves home at 6 32 pm. The journey takes 113 minutes. Work out at what time does James arrive.

Your Turn

- a) Simon leaves home at 3 38 pm. Simon arrives at 6 20 pm. How long was the journey?
- b) James leaves home at 8 02 pm. The journey takes 88 minutes. Work out at what time does James arrive.

3 Properties of 2D Shapes

3.1 Names of 2D Shapes



Triangle
3 sides



Quadrilateral
4 sides



Pentagon
5 sides



Hexagon
6 sides



Heptagon
7 sides



Octagon
8 sides



Nonagon
9 sides



Decagon
10 sides



Hendecagon
11 sides



Dodecagon
12 sides

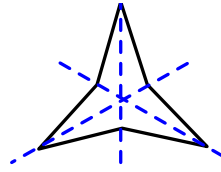
3.2 Line Symmetry

Fluency Practice

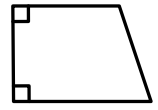
learn by heart

If a shape is reflected through a **line of symmetry**, the result is the same shape.

If you fold a shape through a line of symmetry, the two halves fit perfectly over each other.



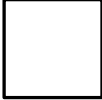
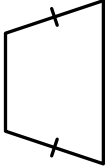
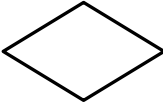
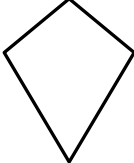

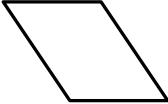
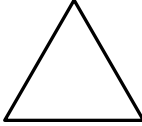
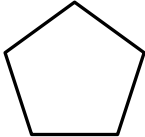
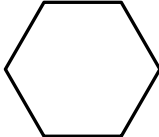
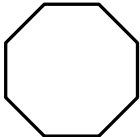
This shape has **3** lines of symmetry.



A right-angled trapezium has **0** lines of symmetry.

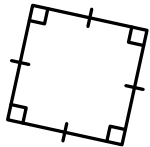
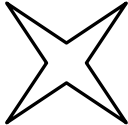

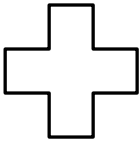
exercise 3d

1. Draw in all of the lines of symmetry for each shape, and state how many there are:

				
Square	Isosceles Trapezium	Rhombus	Kite	Rectangle
				
Parallelogram	Equilateral Triangle	Regular Pentagon	Regular Hexagon	Regular Octagon

2. A triangle has exactly one line of symmetry. What is the name for this type of triangle?

3. Which **one** of the following shapes **does not have 4 lines of symmetry**?

P 	Q 	R 	S 
--	--	--	--

4. Sort these letters into the correct groups, based on their lines of symmetry:

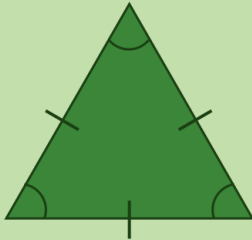


No lines of symmetry	1 line of symmetry	2 lines of symmetry
-----------------------------	---------------------------	----------------------------

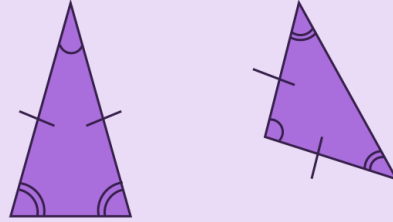
3.3 Rotational Symmetry

3.4 Types and Properties of Triangles

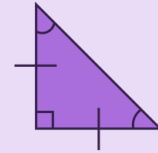
Equilateral



Isosceles

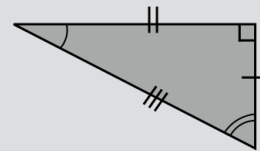
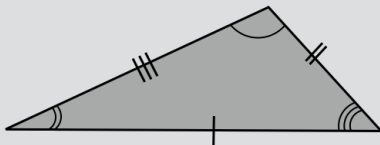


Right-



angled

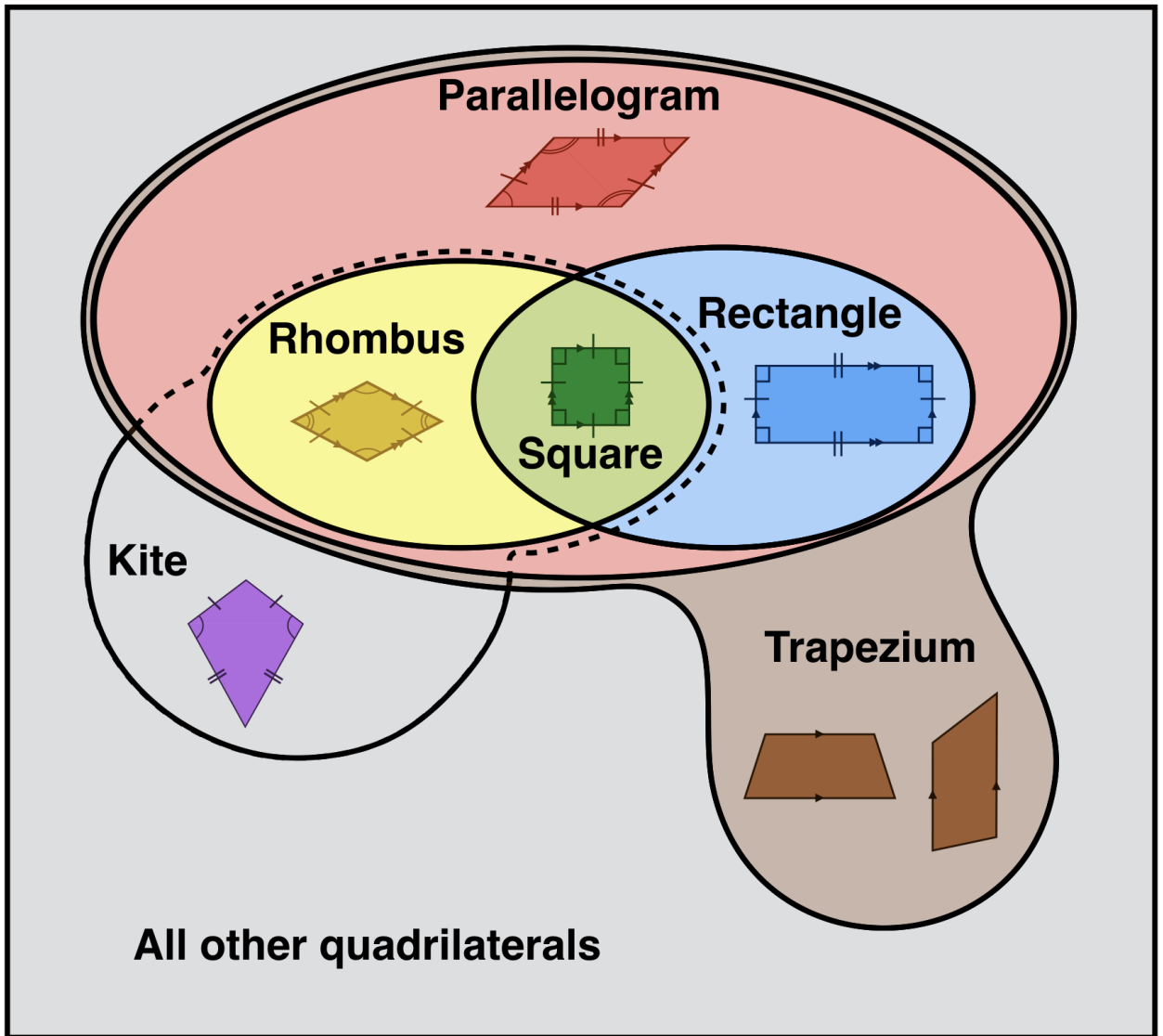
Scalene



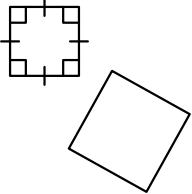
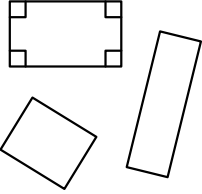
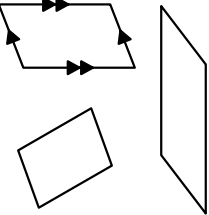
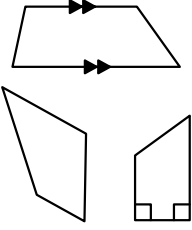
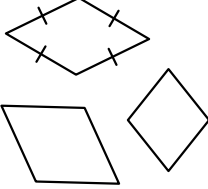
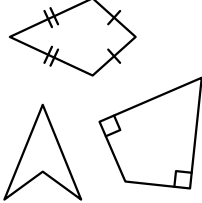
Types and Properties of Triangles

Name	Examples	Properties
Equilateral		
Isosceles		
Scalene		
Right-Angled		

3.5 Types and Properties of Quadrilaterals



Types and Properties of Quadrilaterals

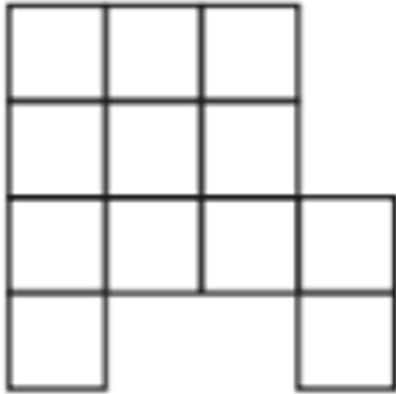
Name	Examples	Properties	Diagonals
Square			
Rectangle			
Parallelogram			
Trapezium			
Rhombus			
Kite			

4 Area and Perimeter

4.1 Perimeter on a Grid

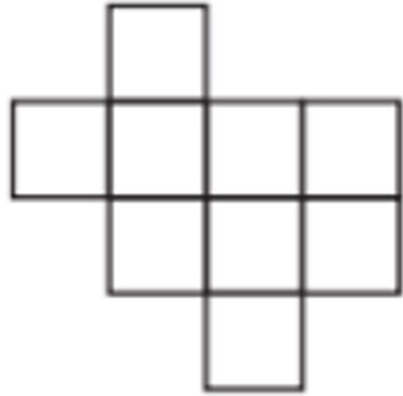
Worked Example

Calculate the perimeter of the shape below:



Your Turn

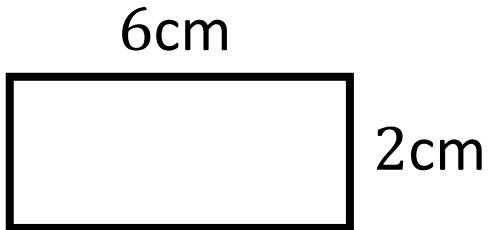
Calculate the perimeter of the shape below:



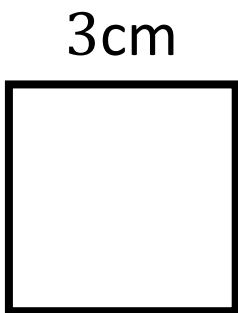
4.2 Perimeter

Worked Example

Calculate the perimeter of the rectangle:

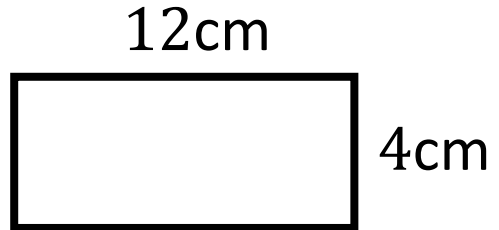


Calculate the perimeter of the square:

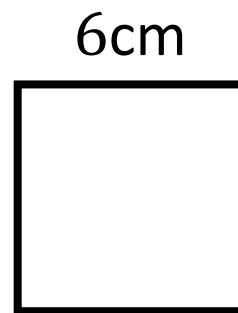


Your Turn

Calculate the perimeter of the rectangle:

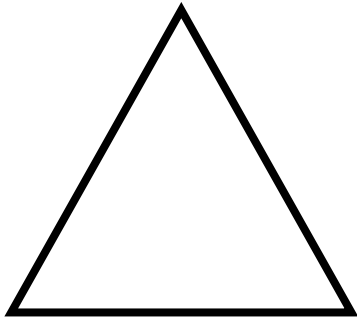


Calculate the perimeter of the square:



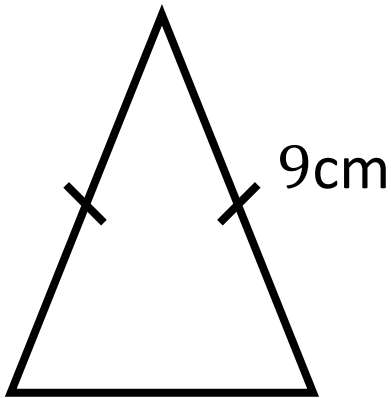
Worked Example

Calculate the perimeter of the equilateral triangle:



7cm

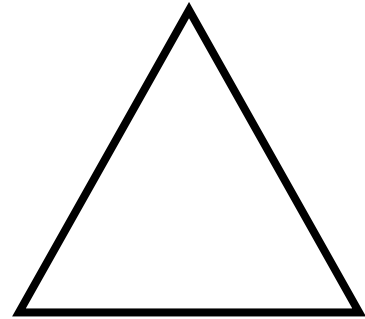
Calculate the perimeter of the isosceles triangle:



4cm

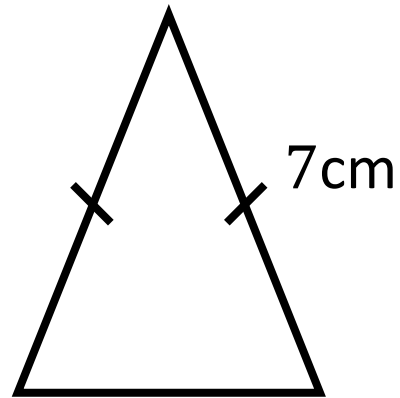
Your Turn

Calculate the perimeter of the equilateral triangle:



21cm

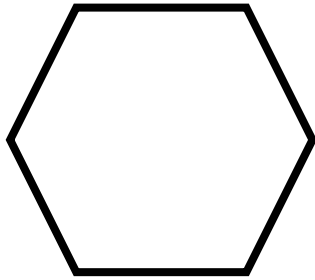
Calculate the perimeter of the isosceles triangle:



8cm

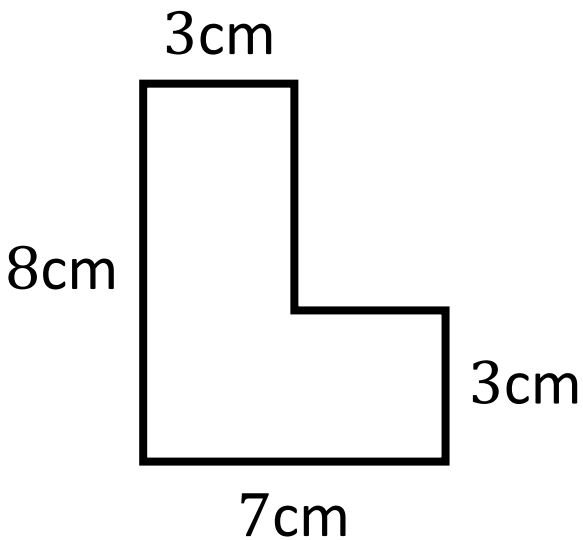
Worked Example

Calculate the perimeter of the regular hexagon:



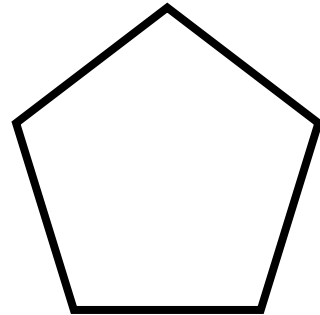
5cm

Calculate the perimeter of the shape below:



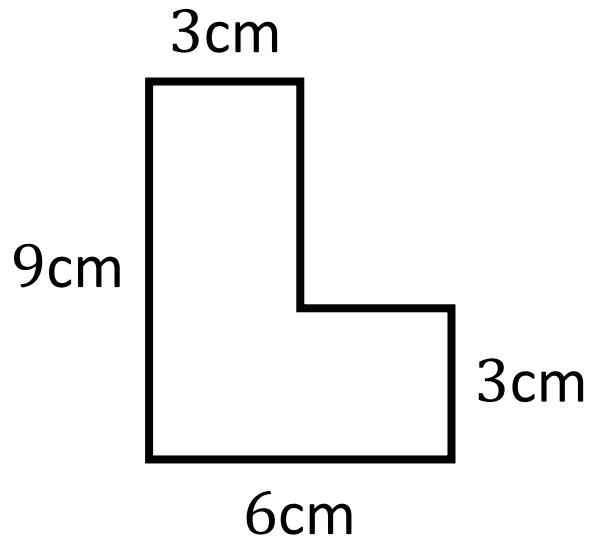
Your Turn

Calculate the perimeter of the regular pentagon:



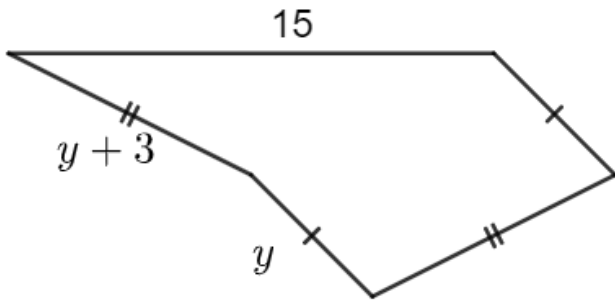
6cm

Calculate the perimeter of the shape below:



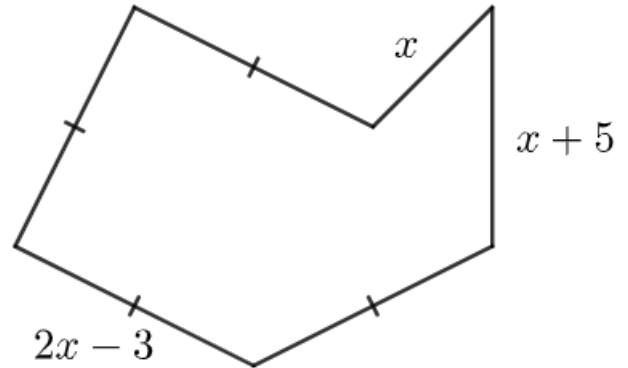
Worked Example

Find an expression for the perimeter of the following shape:



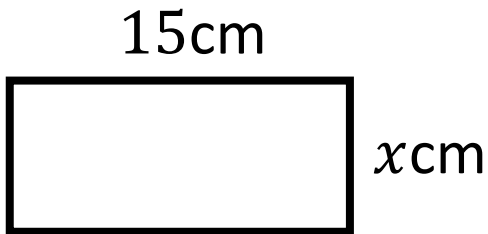
Your Turn

Find an expression for the perimeter of the following shape:



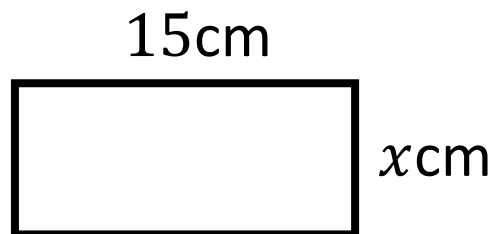
Worked Example

Calculate the length of x if the perimeter of the rectangle is 44cm:



Your Turn

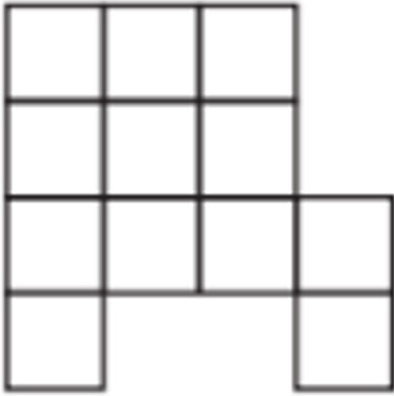
Calculate the length of x if the perimeter of the rectangle is 88cm:



4.3 Area on a Grid

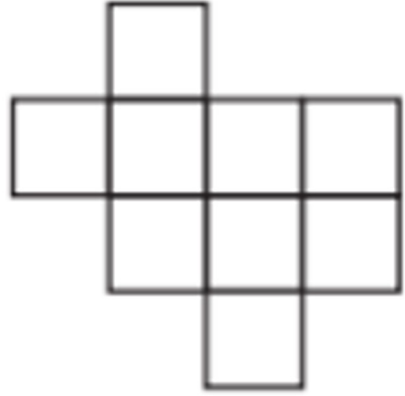
Worked Example

Calculate the area of the shape below:



Your Turn

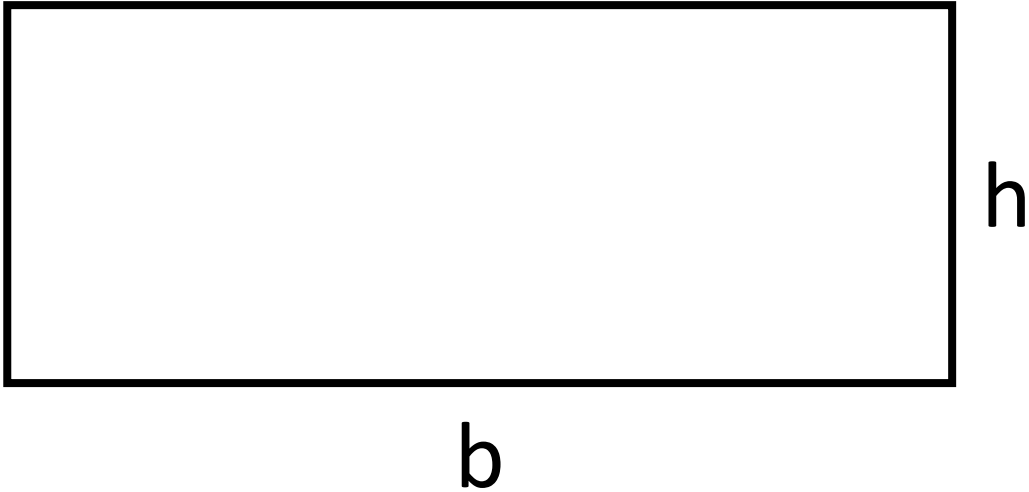
Calculate the area of the shape below:



4.4 Area of Rectangles

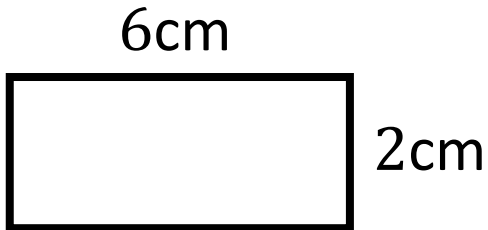
Area = base x height

$$A = b \times h$$

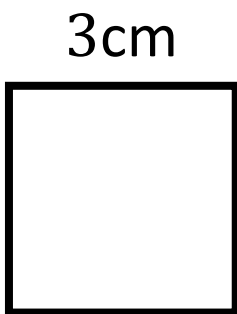


Worked Example

Calculate the area of the rectangle:

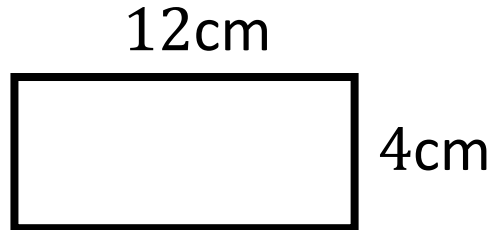


Calculate the area of the square:

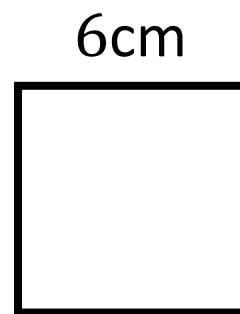


Your Turn

Calculate the area of the rectangle:

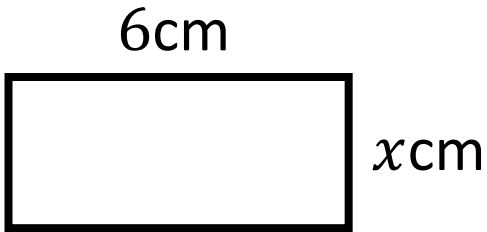


Calculate the area of the square:



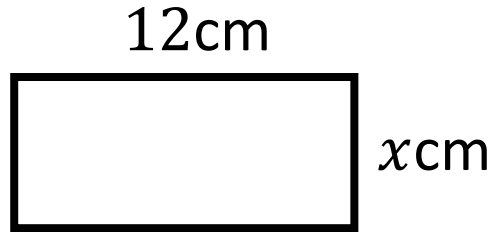
Worked Example

Calculate x if the area of the rectangle is 12cm^2 :



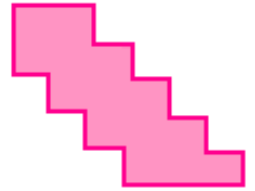
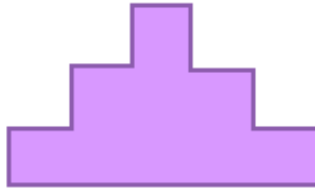
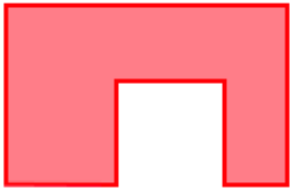
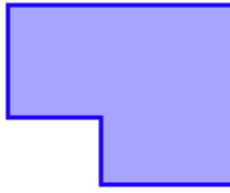
Your Turn

Calculate x if the area of the rectangle is 48cm^2 :



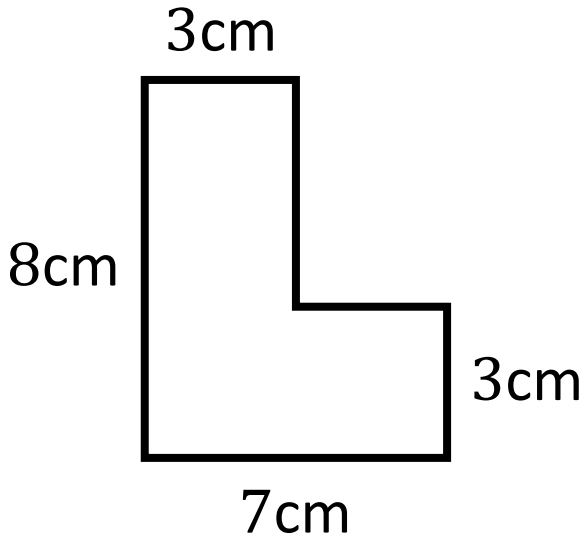
4.5 Area of Rectilinear Shapes

A rectilinear shape is one whose edges all meet at right angles.



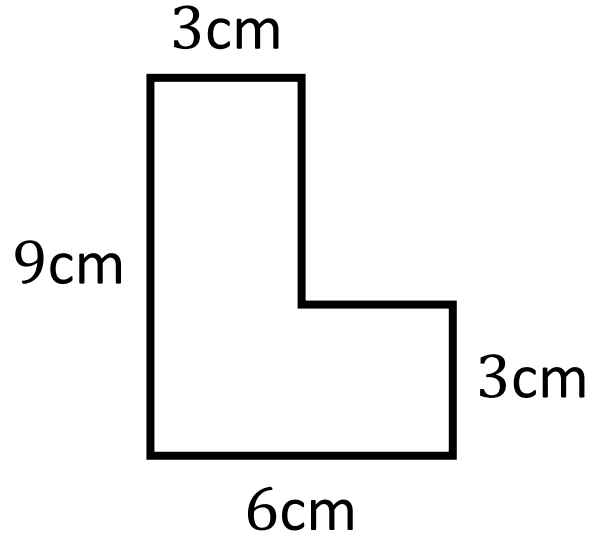
Worked Example

Calculate the area of the shape below:



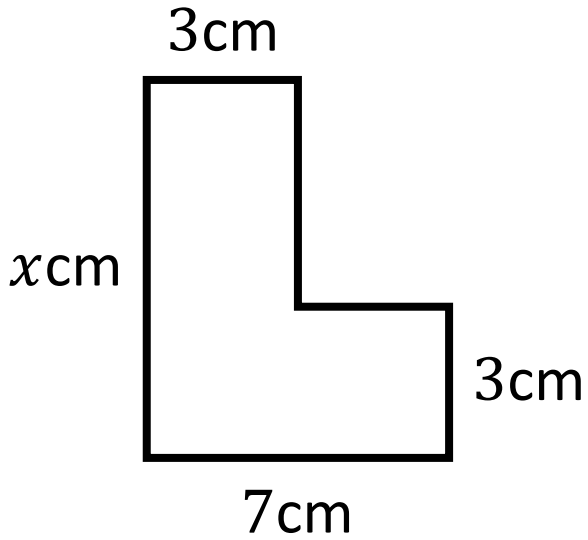
Your Turn

Calculate the area of the shape below:



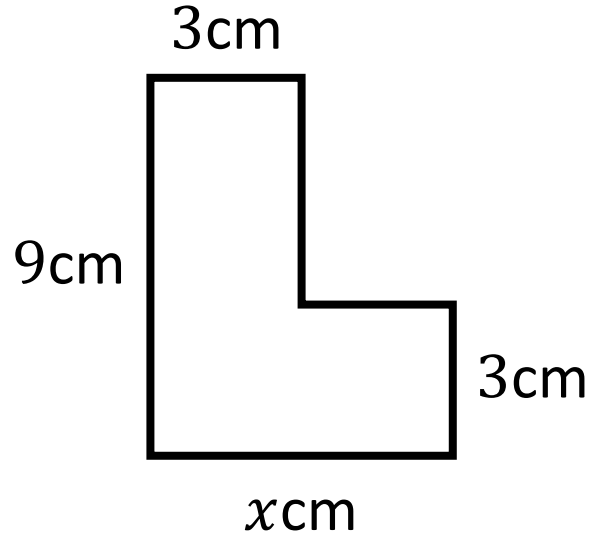
Worked Example

The area of the shape below is 36 cm^2 . Find x .



Your Turn

The area of the shape below is 36 cm^2 . Find x .



4.6 Area of Parallelograms

Area of a parallelogram = base x perpendicular height

$$A = b \times h$$

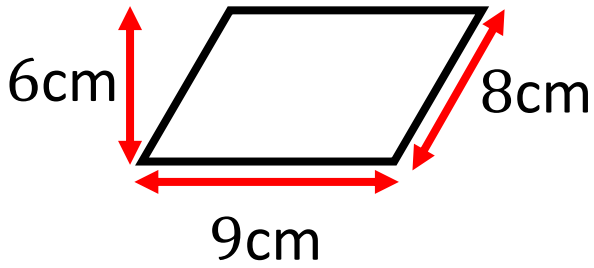


b

The two lengths used in the formula need to be **perpendicular**.

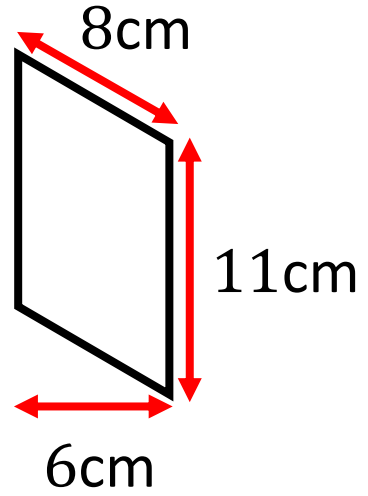
Worked Example

Calculate the area of the parallelogram:



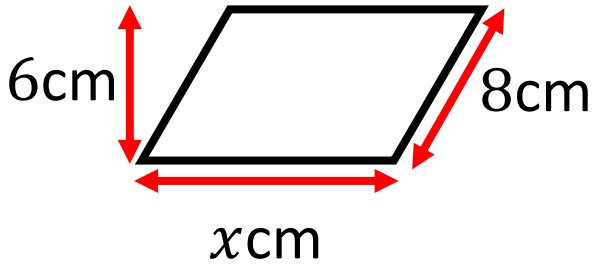
Your Turn

Calculate the area of the parallelogram:



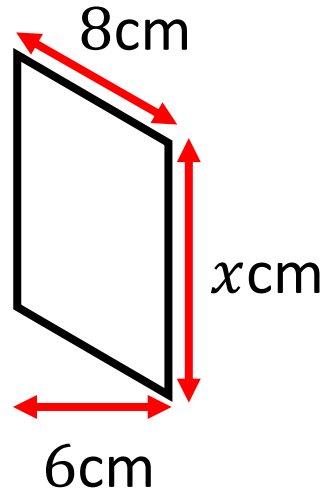
Worked Example

Calculate x if the area of the parallelogram is 54cm^2 :



Your Turn

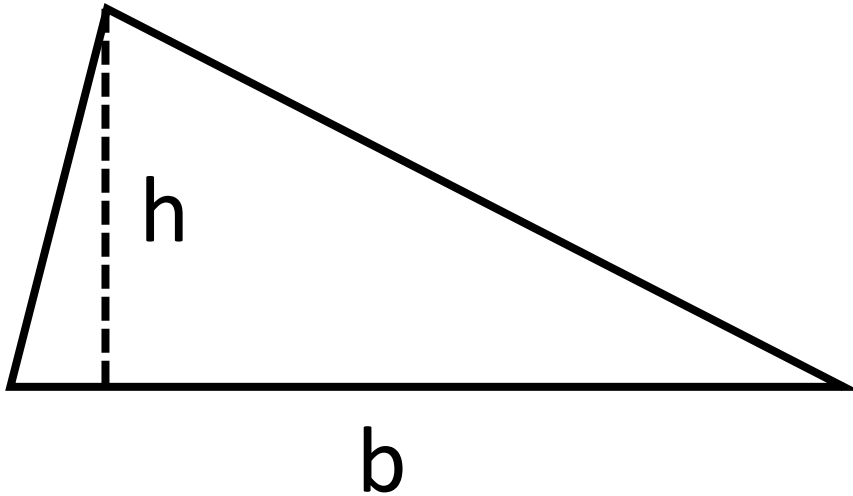
Calculate x if the area of the parallelogram is 66cm^2 :



4.7 Area of Triangles

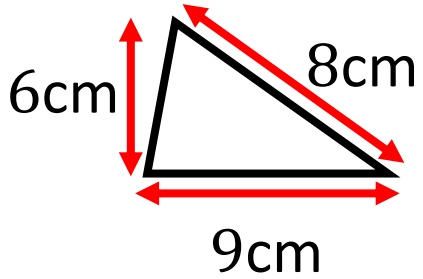
Area of a triangle = $\frac{\text{base} \times \text{perpendicular height}}{2}$

$$A = \frac{b \times h}{2}$$



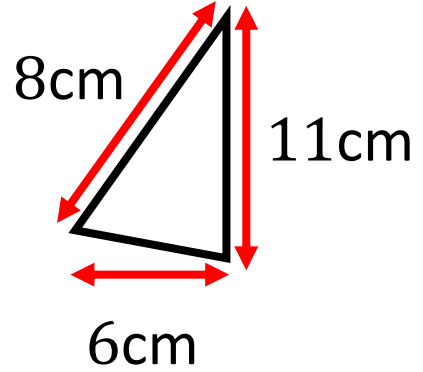
Worked Example

Calculate the area of the triangle:



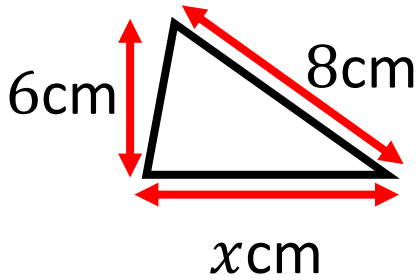
Your Turn

Calculate the area of the triangle:



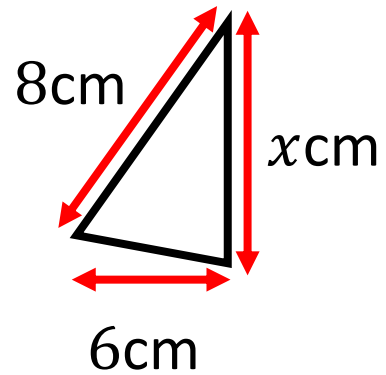
Worked Example

Calculate x if the area of the triangle is 27cm^2 :



Your Turn

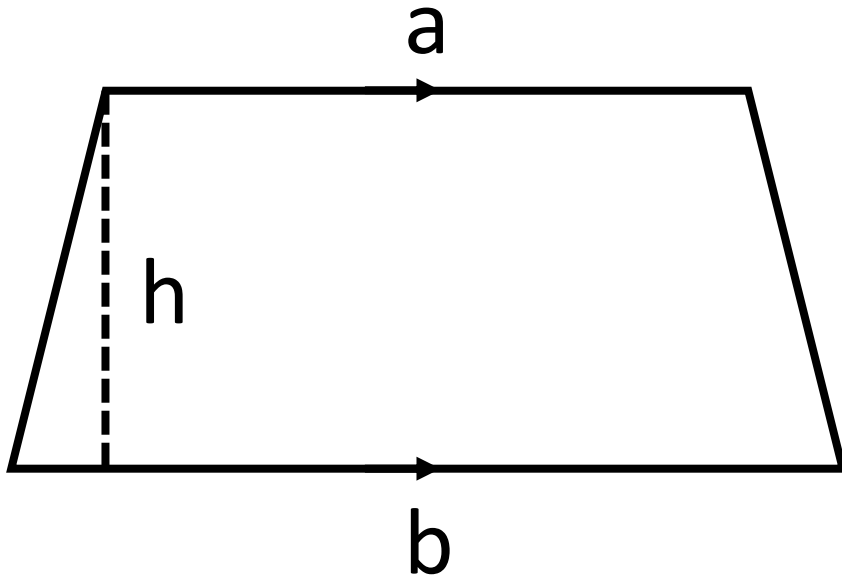
Calculate x if the area of the triangle is 33cm^2 :



4.8 Area of Trapeziums

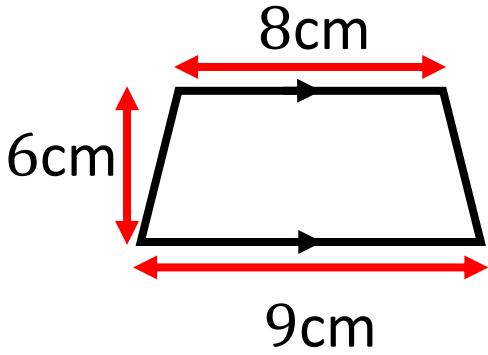
Area of a trapezium = $\frac{\text{sum of parallel sides}}{2}$ x perpendicular height

$$A = \frac{a+b}{2} \times h$$



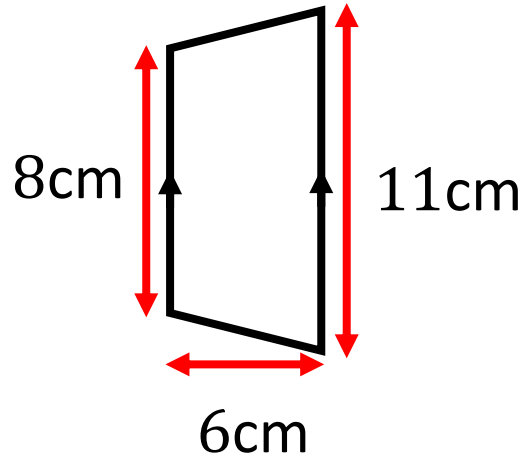
Worked Example

Calculate the area of the trapezium:



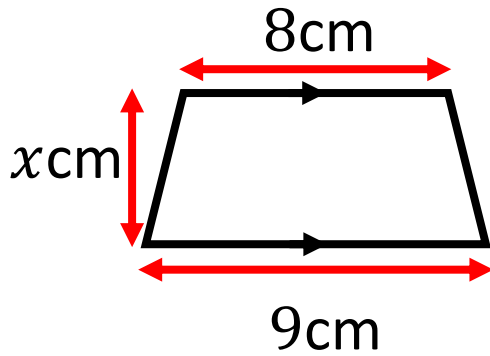
Your Turn

Calculate the area of the trapezium:



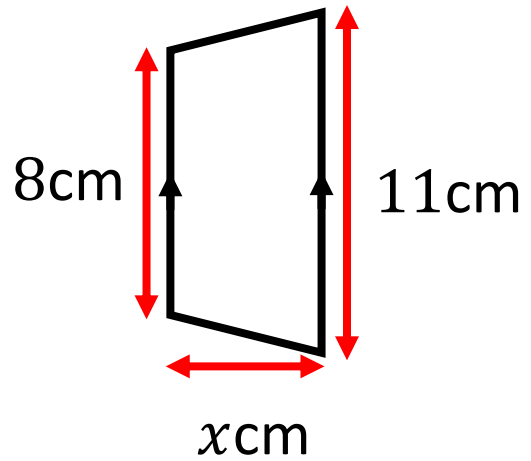
Worked Example

Calculate x if the area of the trapezium is 51cm^2 :



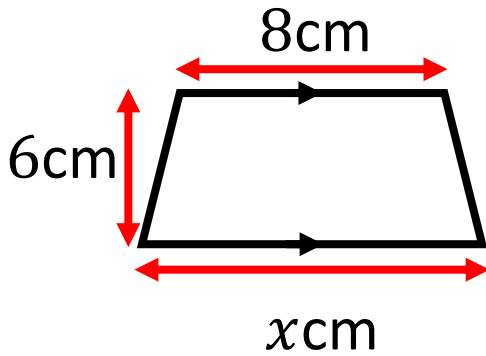
Your Turn

Calculate x if the area of the trapezium is 57cm^2 :



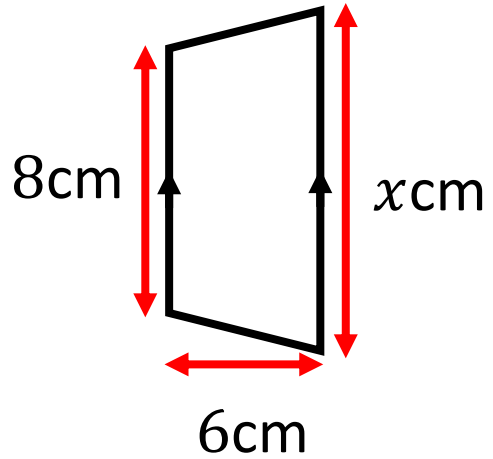
Worked Example

Calculate x if the area of the trapezium is 51cm^2 :



Your Turn

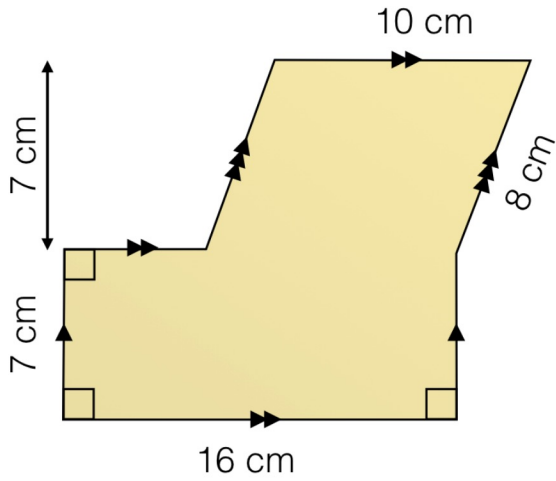
Calculate x if the area of the trapezium is 57cm^2 :



4.9 Area of Compound Shapes without Circles

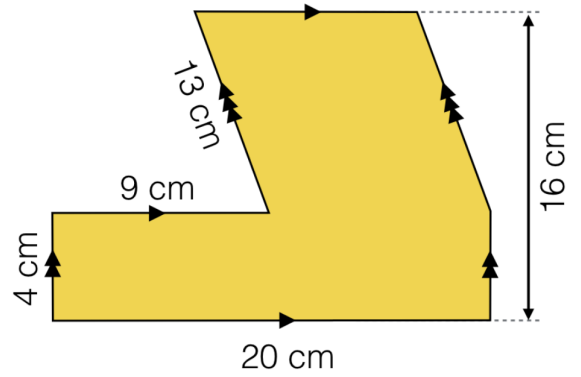
Worked Example

Calculate the area of the compound shape:



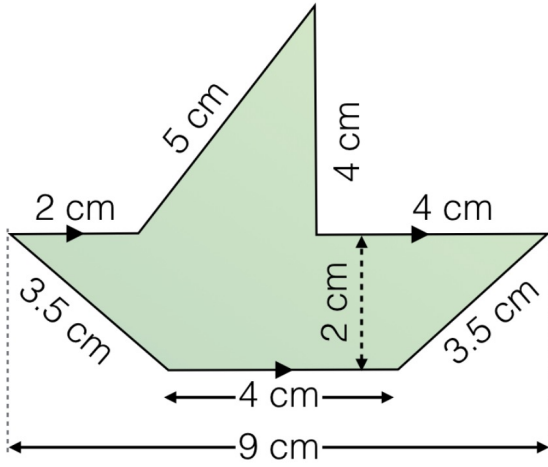
Your Turn

Calculate the area of the compound shape:



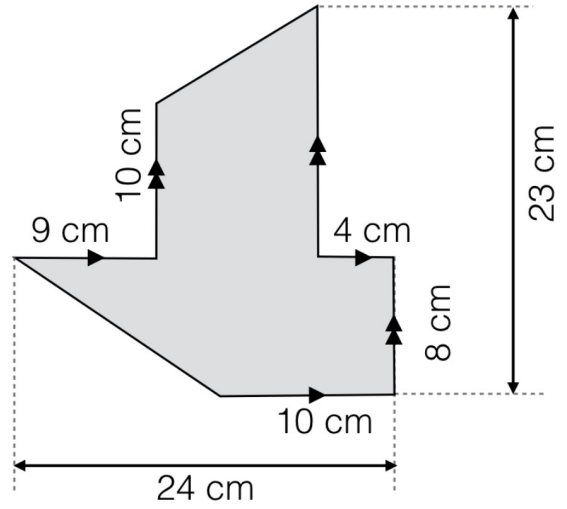
Worked Example

Calculate the area of the compound shape:



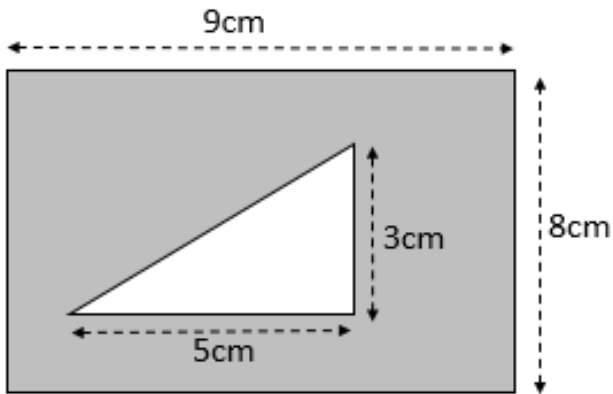
Your Turn

Calculate the area of the compound shape:



Worked Example

Calculate the area of the shaded shape:



Your Turn

Calculate the area of the shaded shape:

